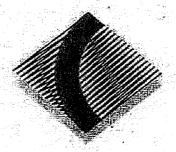
Sinclair Lee Bamford Au Sing Webb Bartlett Hay

Name:	
Class:	11MTX
Teacher:	

## CHERRYBROOK TECHNOLOGY HIGH SCHOOL



2013

## **YEAR 11**

## **AP1 EXAMINATION**

# **MATHEMATICS EXTENSION 1**

Time allowed - 1 HOUR (Plus 5 minutes reading time)

### **DIRECTIONS TO CANDIDATES:**

- > Attempt all questions. Marks are indicated to the right of each question.
- ➤ Each question is to be commenced on a new page clearly marked Question 1, Question 2, etc on the top of the page. Each page should show your name and class.
- > If you do not attempt a question, you must submit a blank page clearly indicating the question number, your name and class.
- > All questions should be stapled together in order Question 1 to 3.
- All necessary working should be shown in every question. Full marks may not be awarded for careless or badly arranged work.
- Approved calculators may be used.

#### MARKER'S USE ONLY

Q1	Q2	Q3	TOTAL
/15	/15	/15	/45

a) Write down the expansion of  $(x + 5)^4$ .

1

b) Solve these equations simultaneously

3

2

$$x + y = 3$$

$$x - 2y + 3z = -6$$

$$2x + 3y + z = 7$$

- c) By squaring both sides of  $\sqrt{a} + \sqrt{b} = \sqrt{9 + \sqrt{56}}$ , evaluate a and b.
- d) Solve the inequality  $\frac{x-5}{x} \ge 6$ .
- e) If  $x = \frac{1}{\sqrt{2} + 1}$ , find in rational form,
  - i)  $x + \frac{1}{x}$
  - ii)  $x^2 + \frac{1}{x^2}$ .
- f) i) Draw the graphs of y = |2x 1| and y = |x + 1| on the same number plane, showing clearly the intersecting points between the two graphs.
  - ii) Hence, solve |2x-1| > |x+1|.

Marks

a) i) Prove that 
$$\frac{\sin 2A}{1-\cos 2A} = \cot A.$$

b) Using 
$$t = \tan\frac{\theta}{2}$$
, find the exact value of  $\frac{1-\tan^2 15^\circ}{1+\tan^2 15^\circ}$ .

c) Using 
$$t = \tan \frac{\theta}{2}$$
, simplify  $\sin \theta - 3 \cos \theta$ .

d) The line 
$$y = mx + b$$
 is inclined at  $45^{\circ}$  to  $y = 3 - 2x$ . Find two possible values of m.

e) If 
$$\sin A = \frac{2}{3}$$
,  $90^{\circ} < A < 180^{\circ}$  and  $\tan B = \frac{2}{3}$ ,  $180^{\circ} < B < 270^{\circ}$ , show that

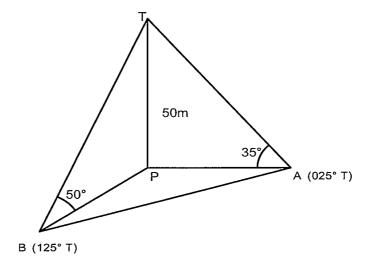
$$\cos(A+B) = \frac{3\sqrt{5}+4}{3\sqrt{13}}$$

f) i) Sketch the graph 
$$y = 2sec \ 2x \text{ from } 0^{\circ} \le x \le 360^{\circ}$$
.

ii) Hence find the **number** of solutions for 
$$2sec2x - 4 = 0$$
. (DO NOT SOLVE)

a) Prove that 
$$\frac{\sin 2\theta \cos \theta - \cos 2\theta \sin \theta}{\cos 2\theta \cos \theta + \sin 2\theta \sin \theta} = \tan \theta$$

b) PT is an observation tower 50m high. The bearings of two points A and B from P are 025° T and 125° T respectively. The angles of elevation from these points to the top of the tower are 35° and 50° respectively.



- Copy the diagram onto your writing paper and find  $\angle APB$ . i)
- 1

1

2

ii) Express BP and AP in terms of  $\cot \theta$ .

iii) Hence, show that AB = 
$$50\sqrt{\cot^2 35^\circ + \cot^2 50^\circ - 2 \cot 35^\circ \cot 50^\circ \cos 100^\circ}$$
 2

c) Solve 
$$\cot x = \cot^2 x$$
 for  $-180^\circ \le x \le 180^\circ$ .

d) Solve 
$$2 + \cos 2x = 5\sin x$$
 for  $0^{\circ} \le x \le 360^{\circ}$ 

- i) Express  $\sin A + \sqrt{3} \cos A$  in the form of  $R \sin(A + \alpha)$ , where R > 0 and  $0^{\circ} \le A \le 90^{\circ}$ . 2
  - ii) Hence, solve  $\sin A + \sqrt{3} \cos A = -\sqrt{2}$  for  $0^{\circ} \le A \le 360^{\circ}$ . 2

### **End of Paper**